

Input Filter (Resistance) Error

TI Precision Labs – Current Sense Amplifiers

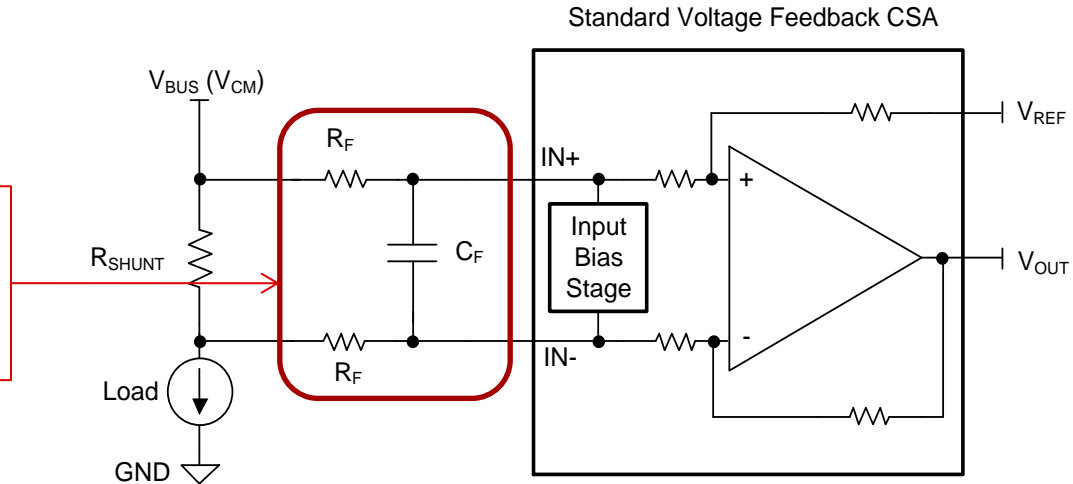
Presented and prepared by Peter Iliya

Input Filter Error for Current Sense Amplifiers (CSA)

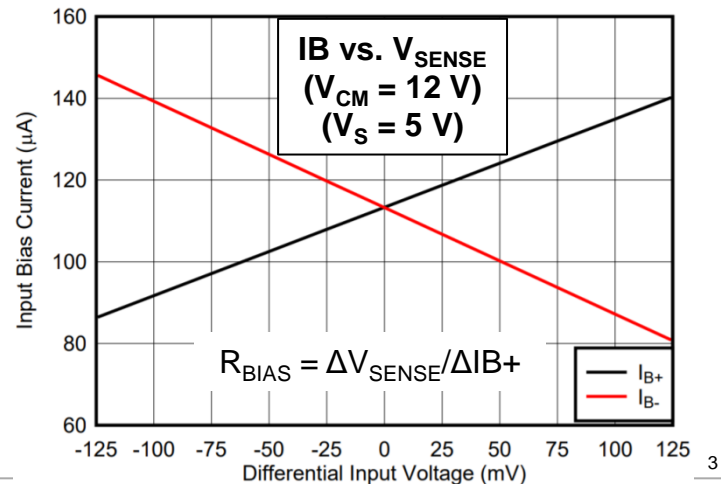
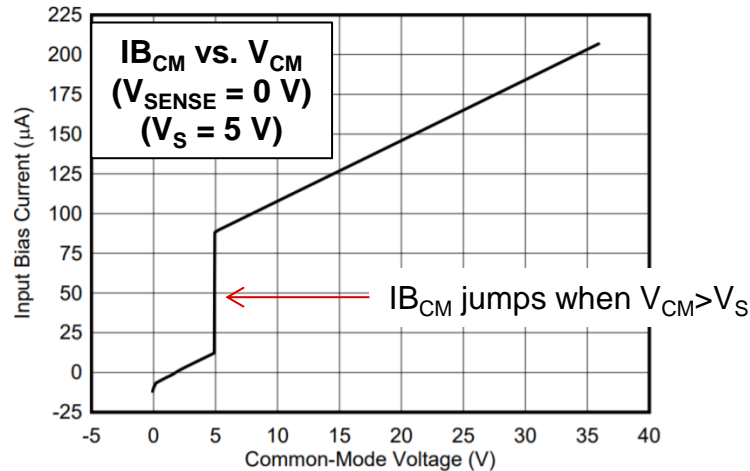
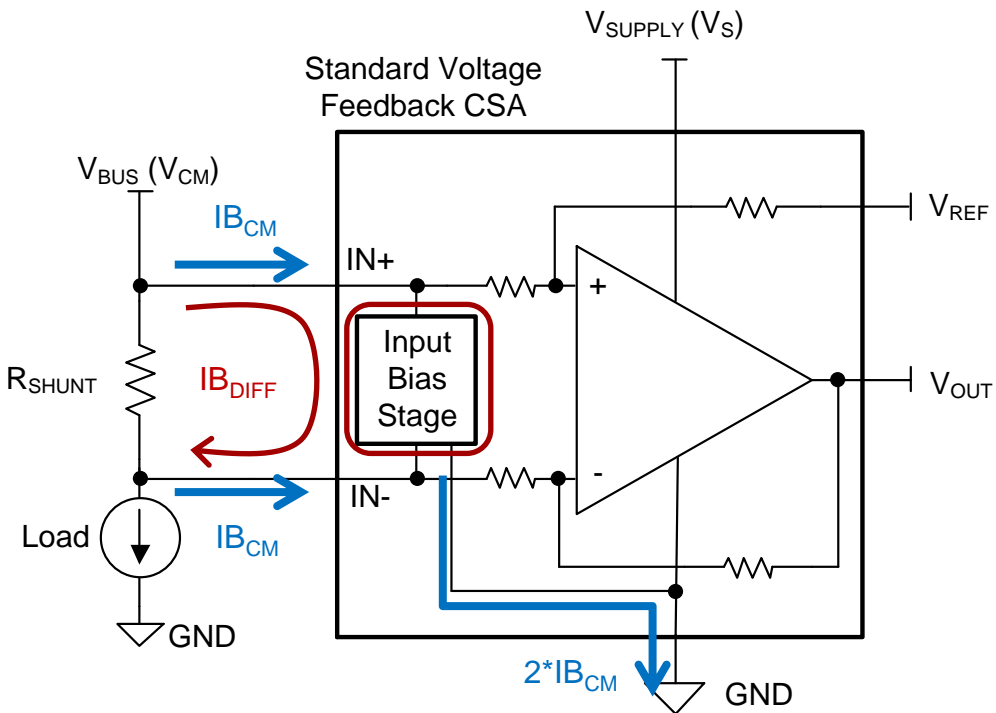
Device Errors:

$$\zeta_{RSS}(\%) \approx \sqrt{e_{V_{OS}}^2 + e_{CMRR}^2 + e_{PSRR}^2 + e_{Gain_error}^2 + e_{Linearity}^2 + e_{Shunt_tolerance}^2 + e_{Bias_current}^2 + e_{Other}^2}$$

Input filter will decrease gain and add error.

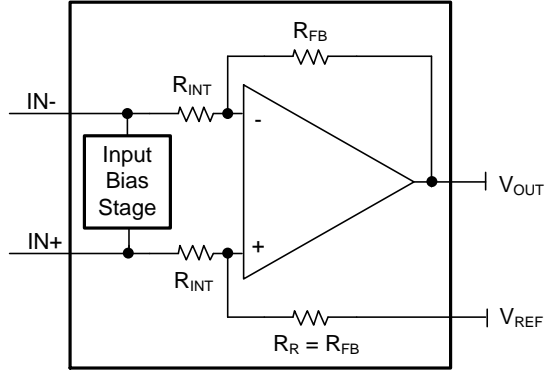


The CSA Input Bias Stage



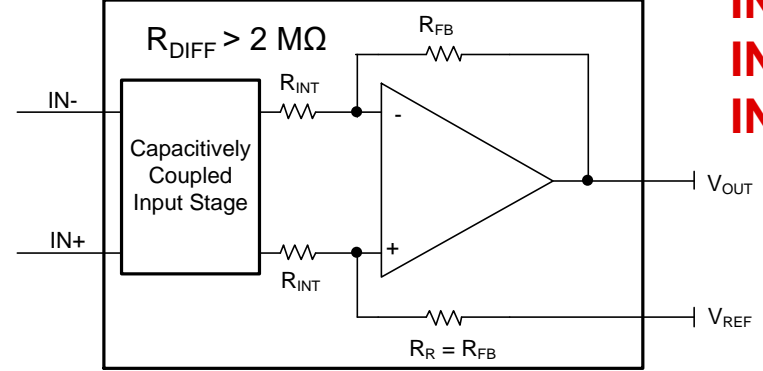
Four basic CSA topologies and example devices

Standard Single-Stage, Voltage-Feedback CSA



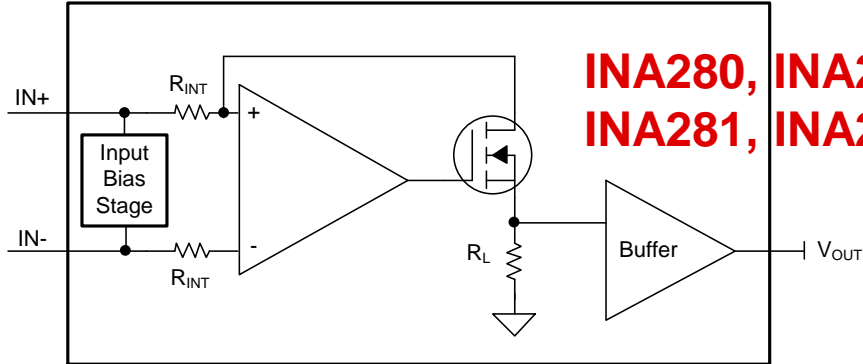
INA181
INA185
INA199
INA210

Capacitively-Coupled, High Input-Impedance CSA



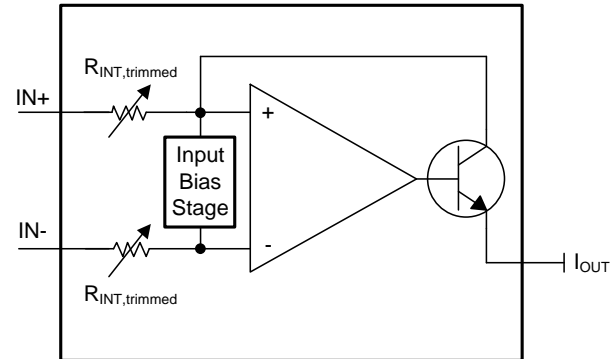
INA186
INA190
INA191

Current-Feedback CSA with Input Bias Stage



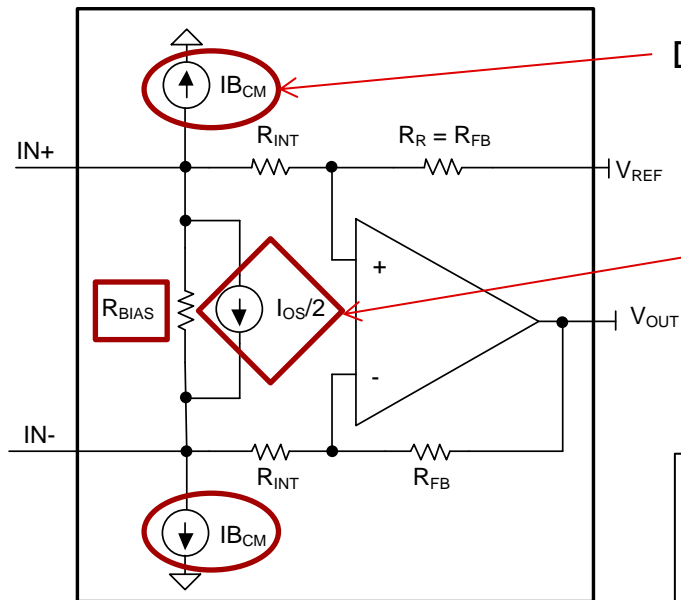
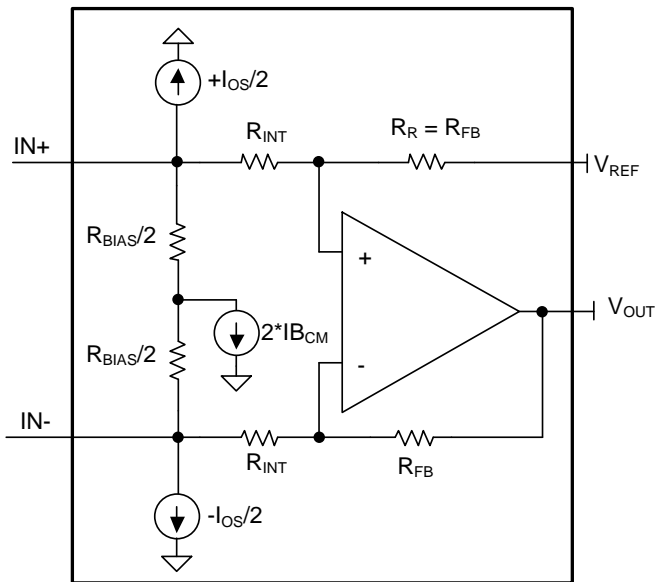
INA280, INA290
INA281, INA293

Current-Feedback, Current-Output CSA with Trimmed Transconductance Resistors



INA139
INA138
INA169
INA168

Modeling the CSA



Dependent upon V_{CM}

$$I_{OS} = I_{IO} = (IB+) - (IB-)$$

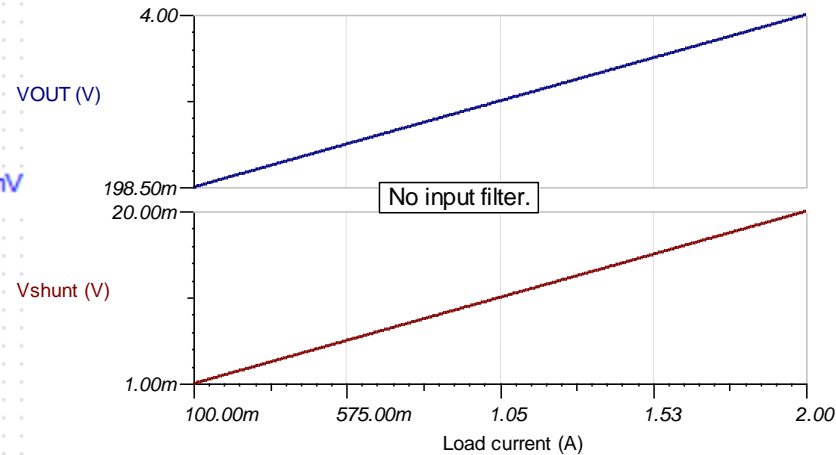
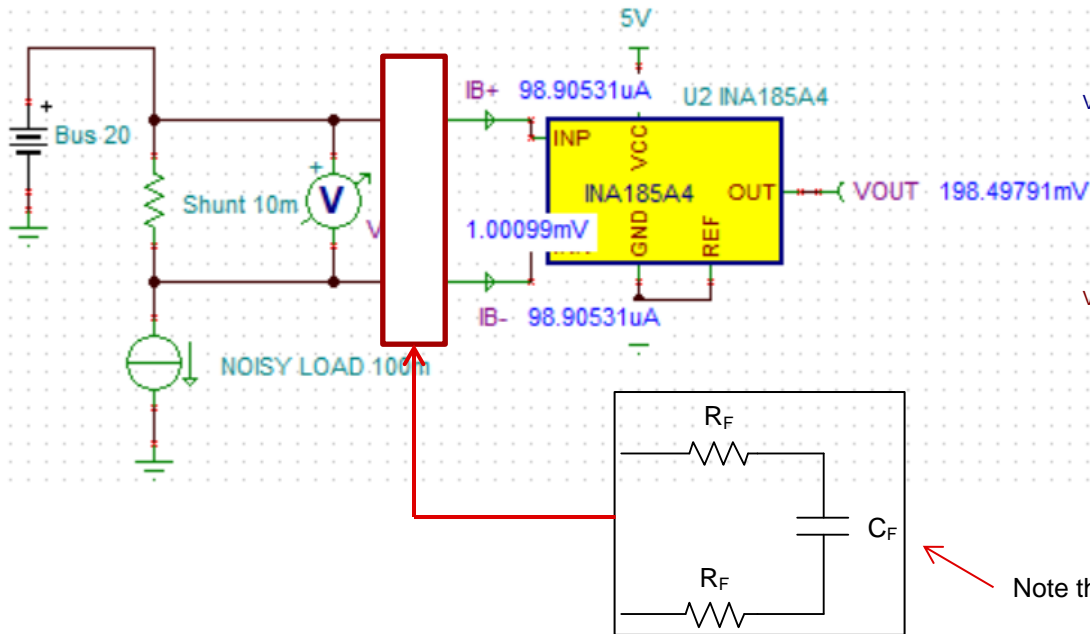
R_{FB} , R_{INT} , and R_{BIAS} all can vary $\pm 20\%$

R_{FB}/R_{INT} = Device gain

R_{FB}/R_{INT} variation = Device Gain Error

Both models are equivalent

Example - Overview



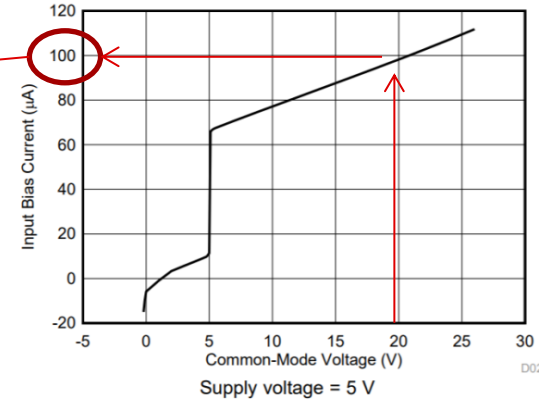
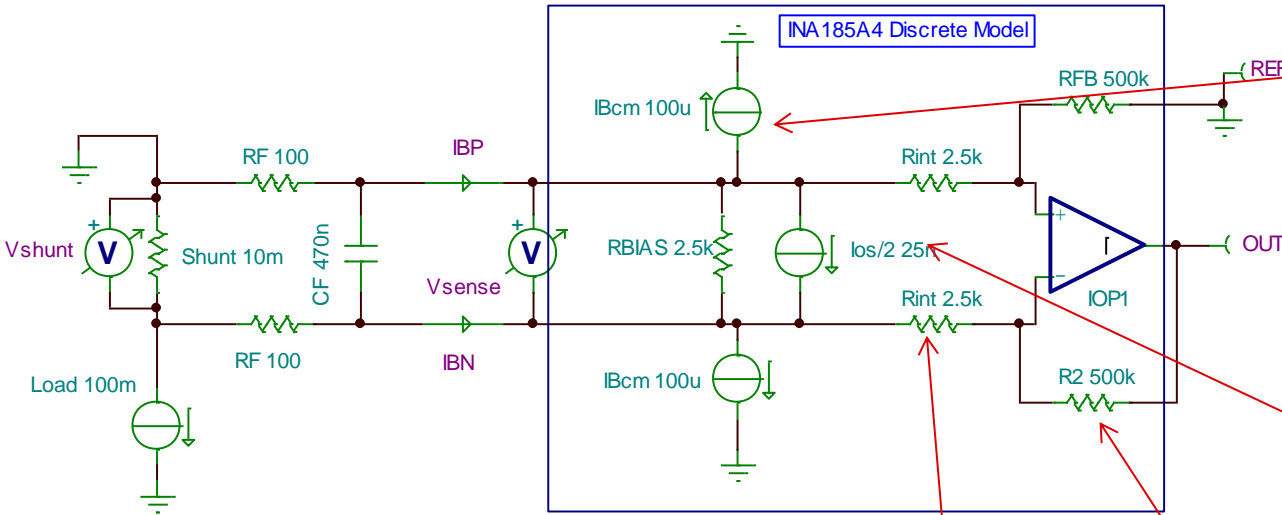
Note there is no maximum limitation to the value of C_F for the CSA.

Problem: Noisy load.

Solution: Insert differential input filter with 1.6 kHz cutoff frequency.

Analysis: Use discrete simulation model of INA185 to determine new circuit gain and errors with 100- Ω /1% input resistors.

Example 1 – Analysis, create discrete model



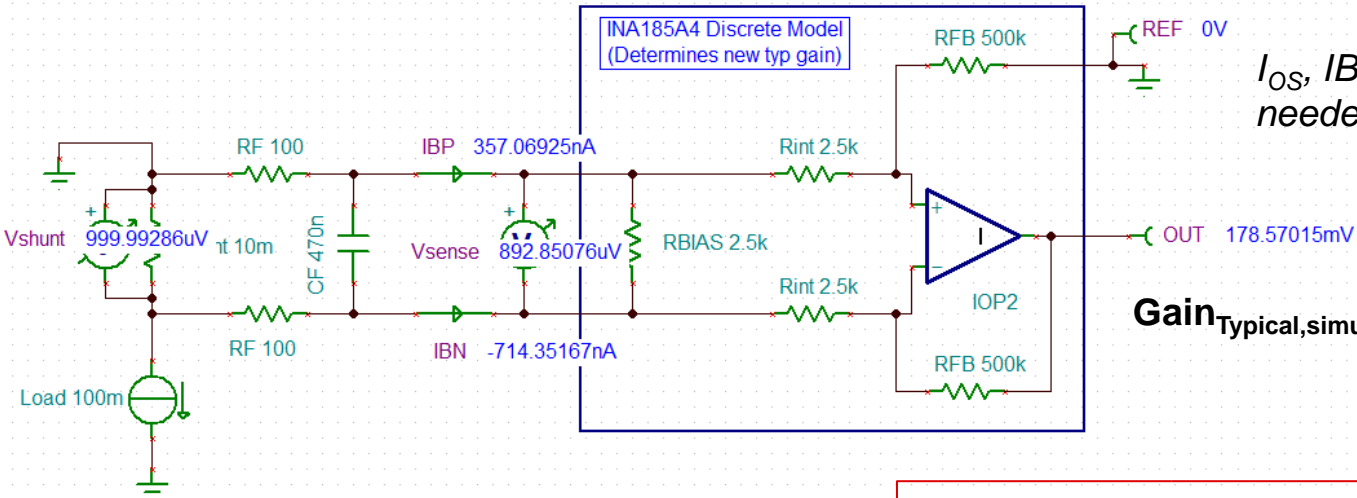
I_{IO}	Input offset current	± 0.05	μA
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Table 1. Input Resistance

PRODUCT	GAIN	R_{INT} (k Ω)
INA185A1	20	25
INA185A2	50	10
INA185A3	100	5
INA185A4	200	2.5

$$R_{FB} = Gain * R_{INT}$$

Example – Determine new gain (2 ways)



I_{OS} , $I_{B_{CM}}$, and V_{BUS} sources are not needed to determine new gain.

$$Gain_{Typical, simulated} = V_{OUT} / V_{SHUNT} = 178.57 \text{ V/V}$$

$$Gain \text{ Error Factor} = \frac{1250 \times R_{INT}}{(1250 \times R_F) + (1250 \times R_{INT}) + (R_F \times R_{INT})}$$

where:

- R_{INT} is the internal input resistor.
- R_F is the external series resistance.

$$Gain_{Typical} = Gain_{Device} * (Gain \text{ Error Factor})$$

$$Gain_{Typical} = 200 \text{ V/V} * \left(\frac{2.5 \text{ k}\Omega}{3 * 100 \Omega + 2.5 \text{ k}\Omega} \right)$$

$$Gain_{Typical} = 178.57 \text{ V/V}$$

Example – Determine positive gain error

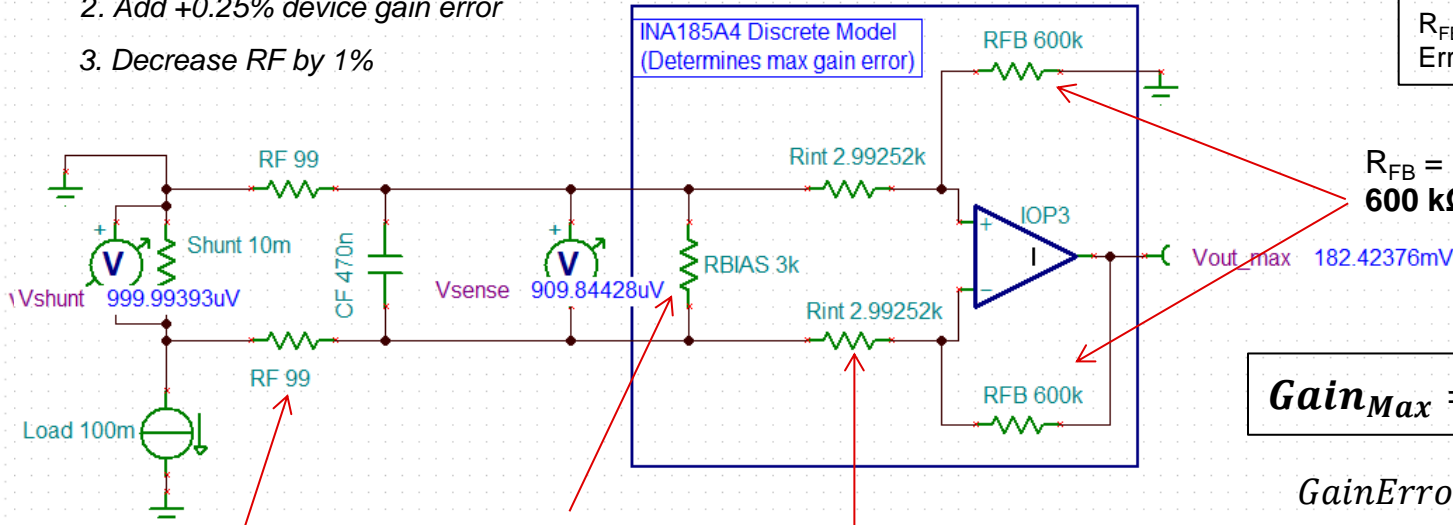
What is maximum possible gain?

1. Increase internal resistors by +20%
2. Add +0.25% device gain error
3. Decrease RF by 1%

R_{FB} , R_{INT} , and R_{BIAS} all can vary $\pm 20\%$

$R_{FB}/R_{INT} = \text{Gain}$

R_{FB}/R_{INT} variation = Max Device Gain Error = $\pm 0.25\%$ for INA185A4



$$R_{FB} = R_{FB, \text{typical}} * (1 + 20\%)$$

$$600 \text{ k}\Omega = 500 \text{ k}\Omega * (1.20)$$

$$Gain_{Max} = \frac{182.424 \text{ mV}}{1 \text{ mV}} = 182.424 \frac{\text{V}}{\text{V}}$$

$$GainError_{Max} = \frac{Gain_{Max} - Gain_{Typ}}{Gain_{Typ}} * 100$$

$$GainError_{Max} = \frac{182.424 - 178.57}{178.57} * 100$$

$$GainError_{Max} = +2.16\%$$

$$R_{BIAS} = R_{BIAS, \text{typical}} * (1 + 20\%)$$

$$3.00 \text{ k}\Omega = 2.5 \text{ k}\Omega * (1.20)$$

$$R_{INT} = R_{FB} / [\text{Gain}_{Device} * (1 + 0.25\%)]$$

$$2.99252 \text{ k}\Omega = 600 \text{ k}\Omega / [200 * 1.0025]$$

$$R_F = R_{F, \text{typical}} * (1 - 1\%)$$

$$99 \Omega = 100 \Omega * (0.99)$$

Example – Determine negative gain error

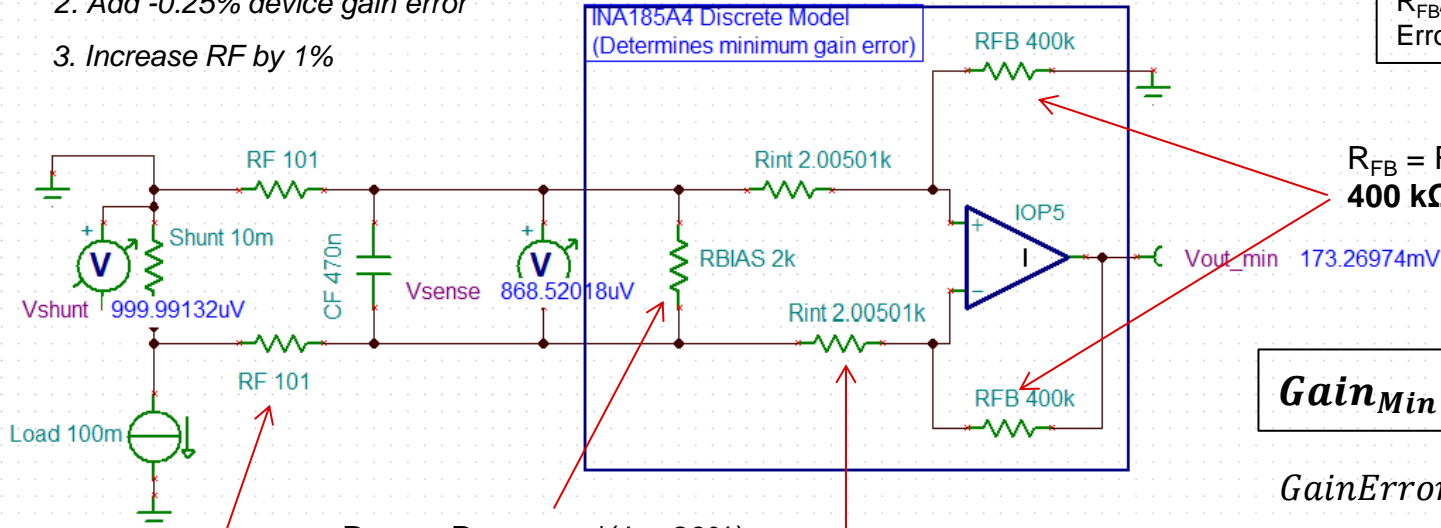
What is smallest possible gain?

1. Decrease internal resistors by 20%
2. Add -0.25% device gain error
3. Increase R_F by 1%

R_{FB} , R_{INT} , and R_{BIAS} all can vary $\pm 20\%$

$R_{FB}/R_{INT} = \text{Gain}$

R_{FB}/R_{INT} variation = Max Device Gain Error = $\pm 0.25\%$ for INA185A4



$$R_{FB} = R_{FB, \text{typical}} * (1 - 20\%)$$

$$400 \text{ k}\Omega = 500 \text{ k}\Omega * (0.80)$$

$$Gain_{Min} = \frac{173.27 \text{ mV}}{1 \text{ mV}} = 173.27 \frac{V}{V}$$

$$GainError_{Min} = \frac{Gain_{Min} - Gain_{Typ}}{Gain_{Typ}} * 100$$

$$GainError_{Min} = \frac{173.27 - 178.57}{178.57} * 100$$

$$GainError_{Min} = -2.97\%$$

$$R_{BIAS} = R_{BIAS, \text{typical}} * (1 - 20\%)$$

$$2.00 \text{ k}\Omega = 2.50 \text{ k}\Omega * (0.80)$$

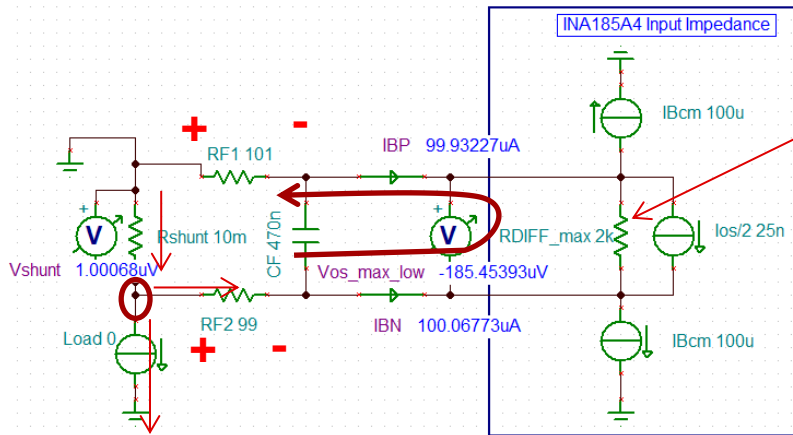
$$R_{INT} = R_{FB} / [\text{Gain}_{Device} * (1 - 0.25\%)]$$

$$2.00501 \text{ k}\Omega = 400 \text{ k}\Omega / [200 * 0.9975]$$

$$R_F = R_{F, \text{typical}} * (1 + 1\%)$$

$$101 \Omega = 100 \Omega * (1.01)$$

Example – Determine new input offset



$$R_{DIFF} = R_{BIAS} || (2 * R_{INT})$$

$$+V_{OS_Filter} + I_{BP}R_{F1} - I_{SH}R_{SH} - I_{BN}R_{F2} = 0$$

$$+I_{SH} - I_{BN} - I_{LOAD} = 0$$

$$+I_{BP} - I_{DIFF} - I_{BCM} - I_{OS}/2 = 0$$

$$+I_{BN} + I_{DIFF} - I_{BCM} + I_{OS}/2 = 0$$

$$I_{DIFF} = V_{OS_FILTER} / R_{DIFF}$$

$$\therefore V_{OS_Filter} = \frac{I_{BCM}(R_{SH} + R_{F2} - R_{F1}) - (\frac{I_{OS}}{2})(R_{SH} + R_{F2} + R_{F1})}{1 + (1/R_{DIFF})(R_{SH} + R_{F2} + R_{F1})}$$

$$V_{OS_FILTER} \cong \{+187 \mu V, -185 \mu V\} \text{ for } \pm 1\% R_F$$

$$V_{OSI} = \pm 100 \mu V \text{ at } 12 - V_{BUS}$$

$$V_{OS_CMR} = |12V - V_{BUS}| * 10^{(\frac{-CMRR_min}{20 dB})}$$

$$V_{OS_CMR} = 8V * 10^{(\frac{-106 dB}{20 dB})} = \pm 41 \mu V$$

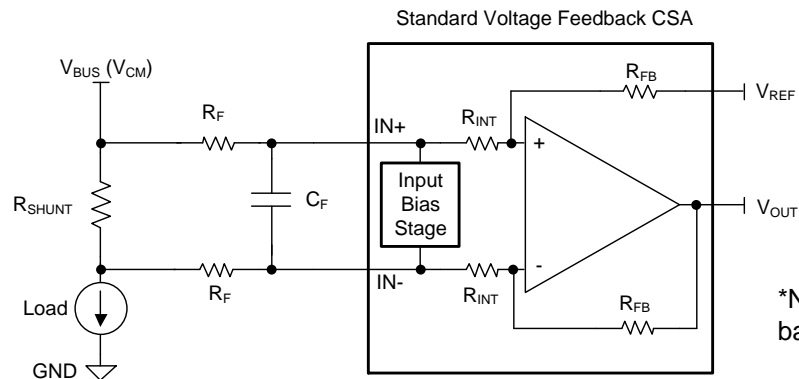
$$V_{OS_total} = V_{OSI} + V_{OS_CMR} + V_{OS_Filter}$$

$$V_{OS_total_max} = + 328 \mu V$$

$$V_{OS_total_min} = - 326 \mu V$$

Example – Filter error summary

Specification	INA185A4 with no input resistors	INA185A4 with 100- Ω /1% input resistors	INA185A4 with 100- Ω /0.1% input resistors
$V_{OS_TOTAL_MAX}$ at 20-V V_{CM}	$\pm 141 \mu V$	+ 328 μV , - 326 μV ($\sim \pm 186 \mu V$ due to filter)	+ 165 μV , - 164 μV ($\sim \pm 23 \mu V$ due to filter)
Gain (typical)	200 V/V	178.57 V/V	
Gain error (maximum)	$\pm 0.25\%$	+2.16%, -2.97%	+2.07%, -2.86%

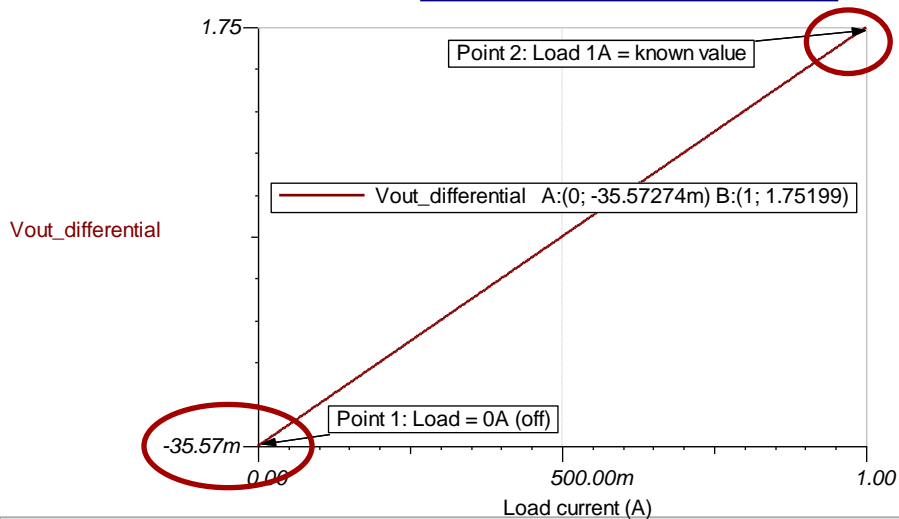
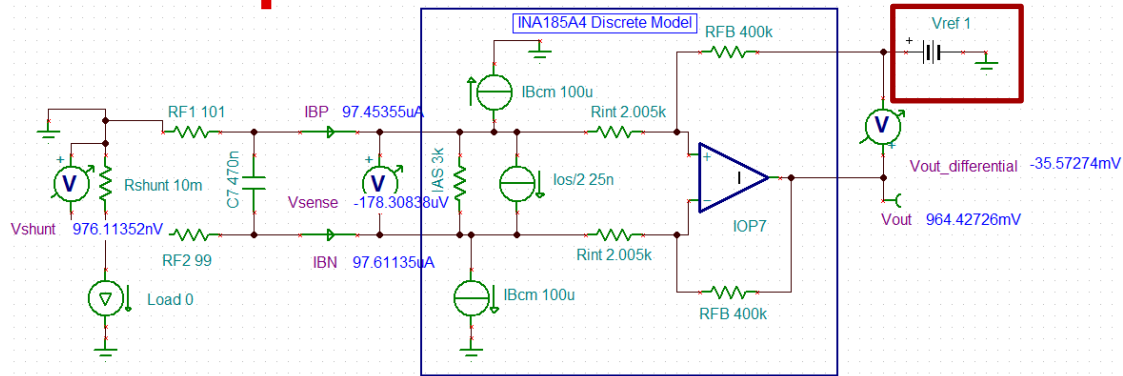


Gain error is dominated by the $\pm 20\%$ variation* over process in absolute values of R_{FB} , R_{INT} , and R_{DIFF} .

Offset error dominated by R_F tolerance and $I_{B_{CM}}$.

*Note that the $\pm 20\%$ process variation of R_{FB} , R_{INT} , and R_{DIFF} is a conservative judgment based upon capabilities of the process technology and may differ for other devices.

Example – Calibration



Parameter	Temperature Coefficient
V_{OS} , $I_{B_{CM}}$, Gain Error	Temperature-stable device specifications. See datasheet.
R_{FB} , R_{INT} , R_{BIAS}	SiCr thin-film resistor process technology. Conservative USL/LSL = ± 30 ppm/ $^{\circ}C$. All resistors drift with same polarity. ± 30 ppm/ $^{\circ}C$ equates to an additional -0.07%, +0.05% gain error over -40 $^{\circ}C$ to +125 $^{\circ}C$ operating temperature range.
R_F	5 ppm/ $^{\circ}C$ to 25 ppm/ $^{\circ}C$ for majority of thin-film, SMT resistors.

$$V_{OUT_calibrated} = \frac{\Delta V_{OUT_measured}}{\Delta Load_{measured} * R_{shunt}} * Load + V_{OS_{Output-referred}}$$

$$V_{OUT_calibrated} = \frac{1.75199V - (-0.0355727V)}{1A * 10m\Omega} * Load - 35.5727mV$$

$$V_{OUT_calibrated} = 178.756 \frac{V}{V} * Load * 10m\Omega - 35.5727mV$$

To find more current sense amplifier technical resources and search products, visit ti.com/currentsense

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Quiz

How to Read CSA Datasheets – quiz

1. Select all of the following that are true about CSAs
 - a. Differential input resistances can be in the range of a few k Ω .
 - b. Input bias stages require differential input bias currents to partially power the CSA.
 - c. Input bias stages require common-mode input bias currents to partially power the CSA.
 - d. The internal resistors (R_{BIAS} , R_{INT} , and R_{FB}) can all vary by $\pm 20\%$ due to temperature variation.

How to Read CSA Datasheets – quiz

2. Select all of the following that are true about CSAs with input filters:
- a. Input filters will cause the gain from shunt voltage to device output to be increased.
 - b. Input filters will cause the gain error variation to increase.
 - c. The offset error due to the input filter will be dominated by the tolerance of the input resistors chosen.
 - d. If the input filter capacitor chosen is too large, then the device could become unstable.
 - e. The new circuit gain will be dependent upon the common-mode input bias current.

How to Read CSA Datasheets – quiz

3. A system designer needs a CSA with an input filter with 100- Ω input resistors (RF). Which device will yield the lowest input filter error?
 - a. The INA190A3 or the INA185A3?

How to Read CSA Datasheets - quiz

4. A system designer is using an input filter for the INA185A4 and decides to calibrate the circuit's offset and gain error. She notices that error increased unexpectedly when the common-mode voltage level changed from 20-V to 10-V and the temperature was stable. What happened?

Answers

How to Read CSA Datasheets – quiz

1. Select all of the following that are true about CSAs
 - a. Differential input resistances can be in the range of a few k Ω .
 - b. Input bias stages require differential input bias currents to partially power the CSA.
 - c. Input bias stages require common-mode input bias currents to partially power the CSA.
 - d. The internal resistors (RBIAS, RINT, and RFB) can all vary by $\pm 20\%$ due to temperature variation.

How to Read CSA Datasheets – quiz

2. Select all of the following that are true about CSAs with input filters:
- a. Input filters will cause the gain from shunt voltage to device output to be increased.
 - b. Input filters will cause the gain error variation to increase.
 - c. The offset error due to the input filter will be dominated by the tolerance of the input resistors chosen.
 - d. If the input filter capacitor chosen is too large, then the device could become unstable.
 - e. The new circuit gain will be dependent upon the common-mode input bias current.

How to Read CSA Datasheets – quiz

3. A system designer needs a CSA with an input filter with 100- Ω input resistors (RF). Which device will yield the lowest input filter error?
 - a. The INA190A3 or the INA185A3?

Answer: The INA190A3 will yield a lower error due to input filter because it is a high-input impedance CSA with lower input bias currents.

How to Read CSA Datasheets - quiz

4. A system designer is using an input filter for the INA185A4 and decides to calibrate the circuit's offset and gain error. She notices that error increased unexpectedly when the common-mode voltage level changed from 20-V to 10-V and the temperature was stable. What happened?

Answer: The error increased because the common-mode voltage (V_{CM}) was not stable. Once the V_{CM} changes, the $I_{B_{CM}}$ will also change and this affects the input offset voltage due to input filters for CSAs.